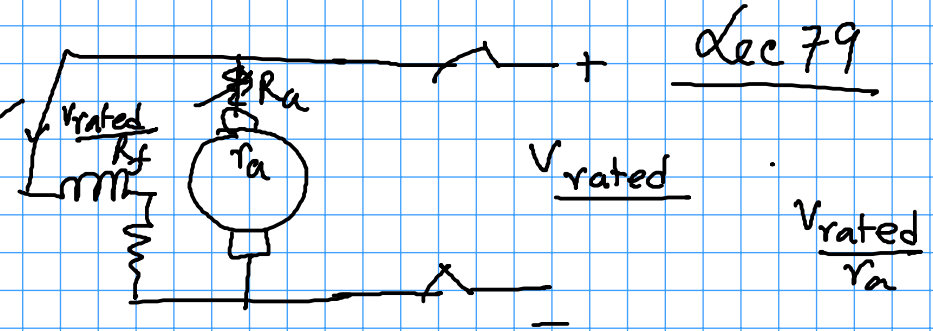


Motor :
 ✓ Starting ✓
 ✓ Speed control ✓
 ✓ Braking ✓



Shunt motor starting :

3-point starter

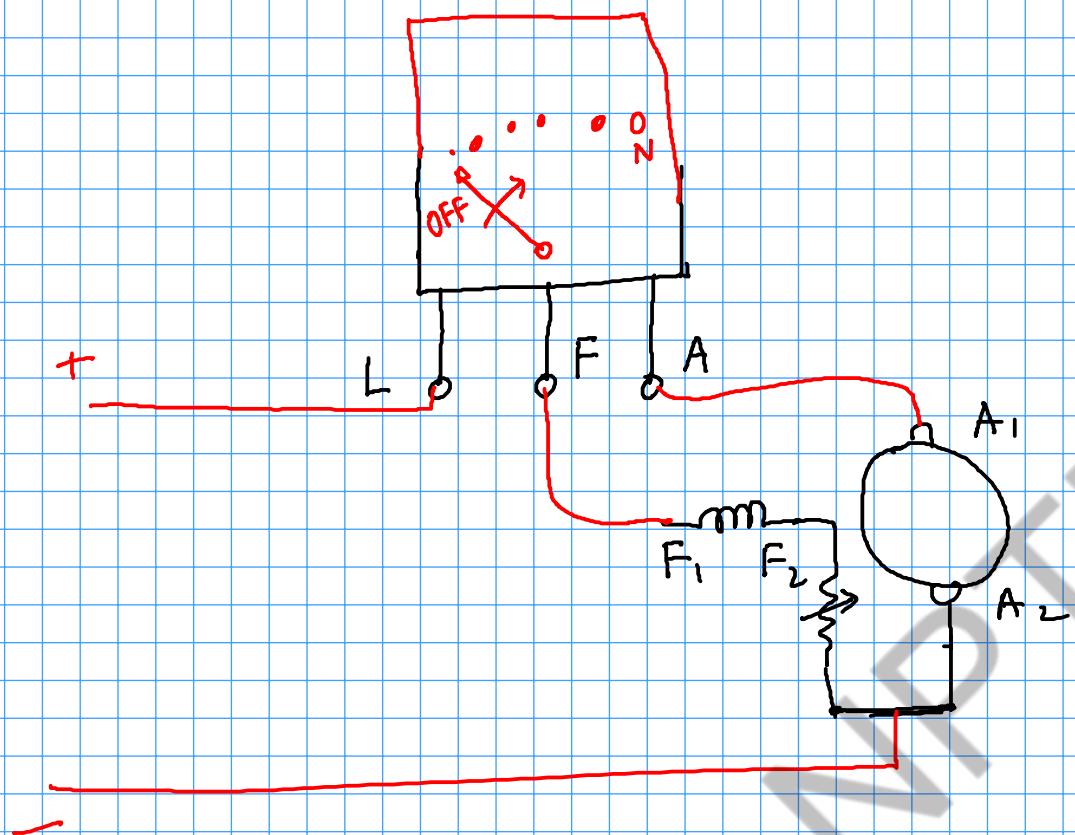
Connect R_a (~~in~~) in the armature
 at the time of starting $\frac{V_{rated}}{r_a + R_a}$
 & as motor picks up speed
 gradually cut this ~~to~~ R_a to 0

$$r_a = 0.5 \Omega$$

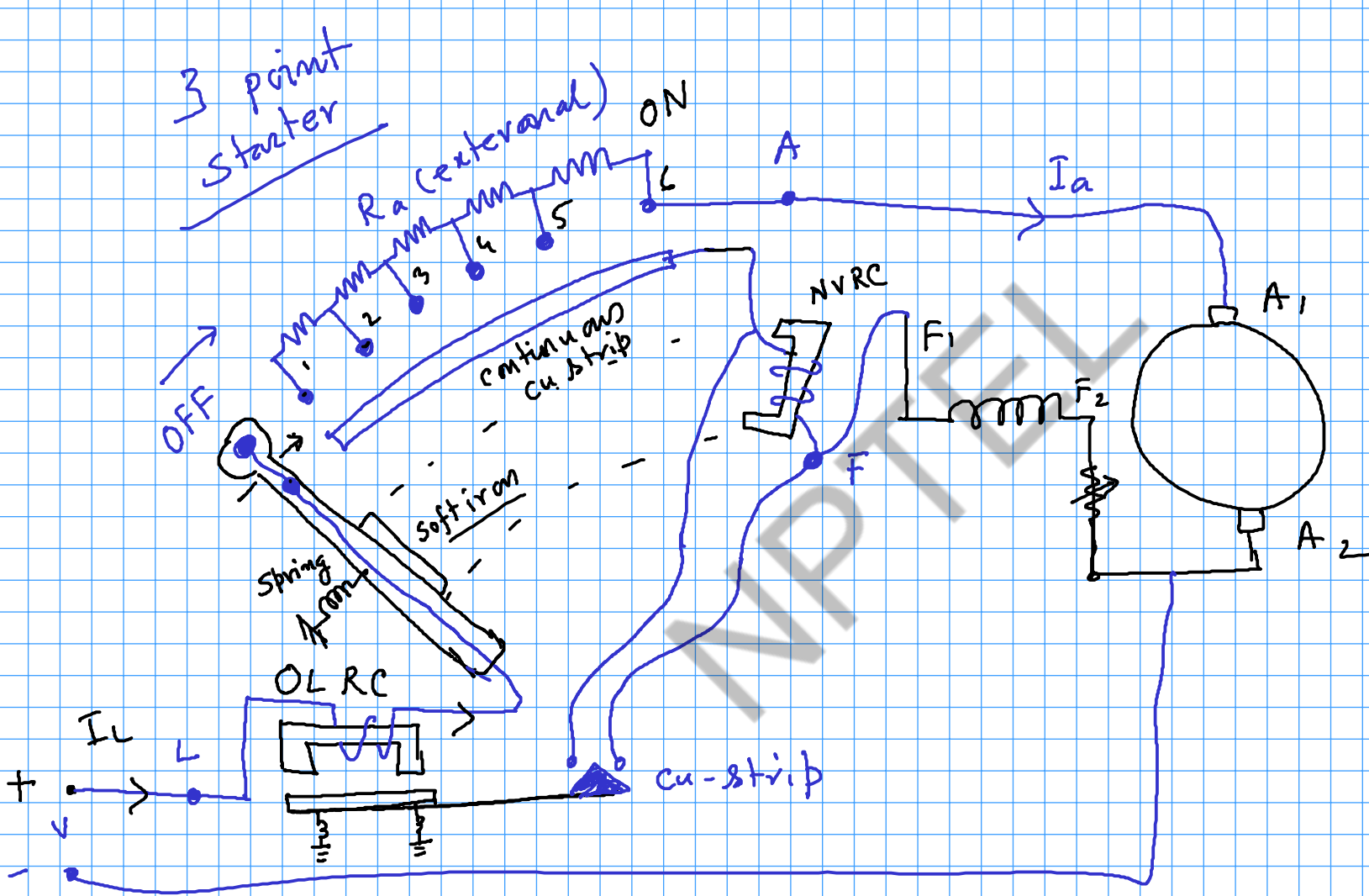
$$V = 200 V$$

$$I_{a rated} = 20 A$$

$$\therefore I_{a starting} = \frac{200}{0.5 + R_a} = 20$$



3 point
Starter



NVRC

→ no volt Release coil

OLRC

→ Over load
release coil



Speed control of D.C shunt/separately excited motor

Sec-80

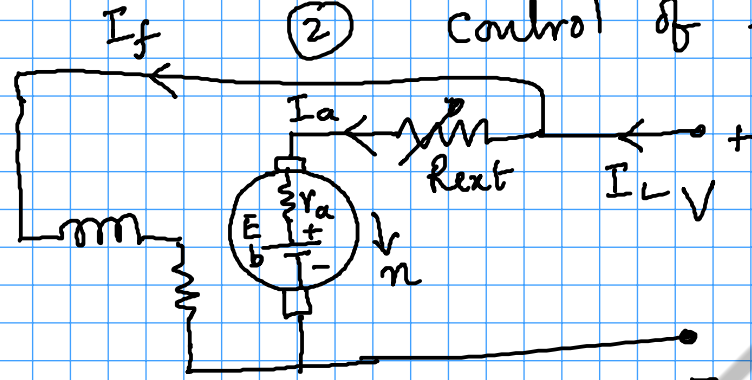
$$I_L = I_a + I_f$$

① control of armature voltage

Armature resistance control (R_{ext})

Armature voltage control

② control of field current



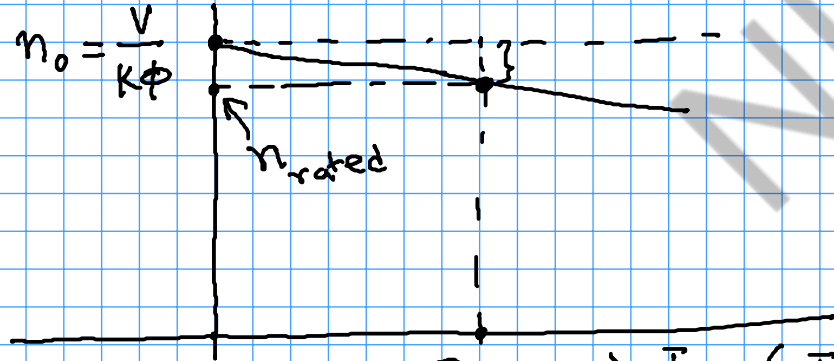
$$I_a = \frac{V - E_b}{r_a} \text{ when } R_{ext} = 0$$

Armature KVL equⁿ.

$$T_{L \text{ rated}} = T_{\text{rated}} = k\phi I_{a \text{ rated}}$$

$$V = I_a (r_a + R_{ext}) + E_b$$

$$V = I_a r_a + k\phi n_r$$

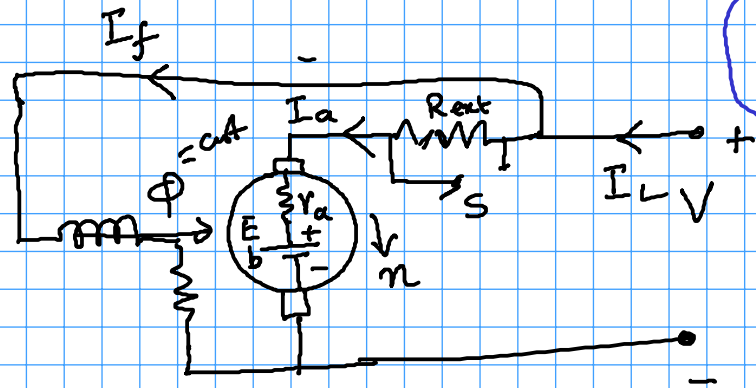


$$n_r = n_0 \left(\frac{V}{k\phi} \right) - \frac{r_a}{k\phi} I_a$$

$$T_e = k_T \phi I_a = T_L = \text{constant}$$

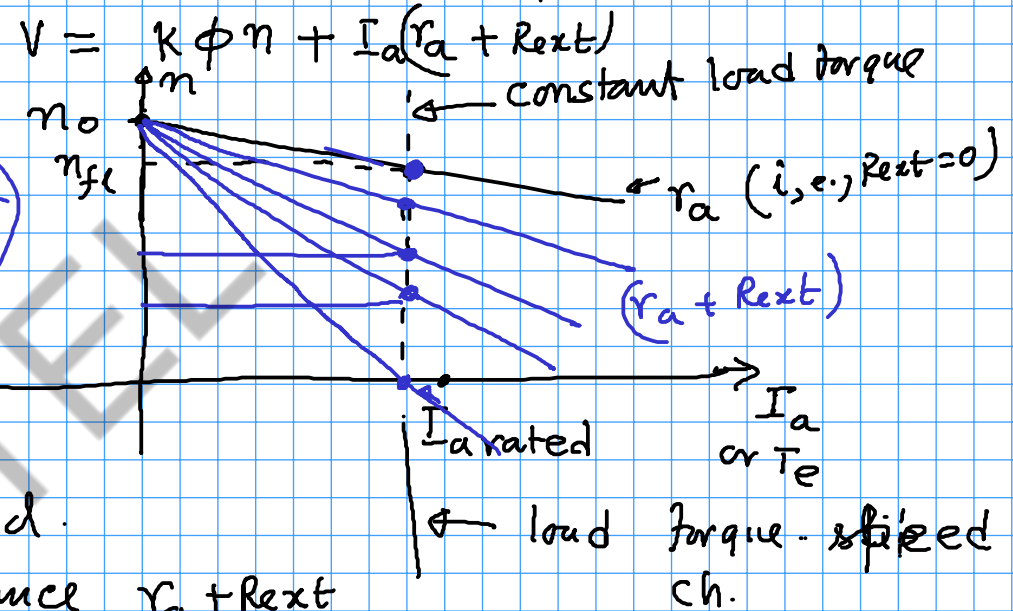
$I_a \rightarrow I_a \left(\frac{T_e}{T_L} \text{ if } \phi \text{ is constant} \right)$

Let load torque (T_L) is constant



not an efficient method

$$\eta = \frac{V}{K\phi} - \frac{(r_a + R_{ext})}{K\phi} I_a$$



Suppose at $t=0$, S is opened.

so that

Armature resistance $r_a + R_{ext}$

at $t=0^+$

Speed n_{fl}
 V is constant

$$I_a(0^+) = \frac{V - E_b(0^+)}{r_a + R_{ext}} = \frac{V - E_b(0^-)}{r_a + R_{ext}}$$

(constant)



at $t(0^+)$

$T_e < T_L$

$\therefore$ Motor starts decelerating $n \downarrow$

$I_a(0^+) \downarrow$

lec - 81

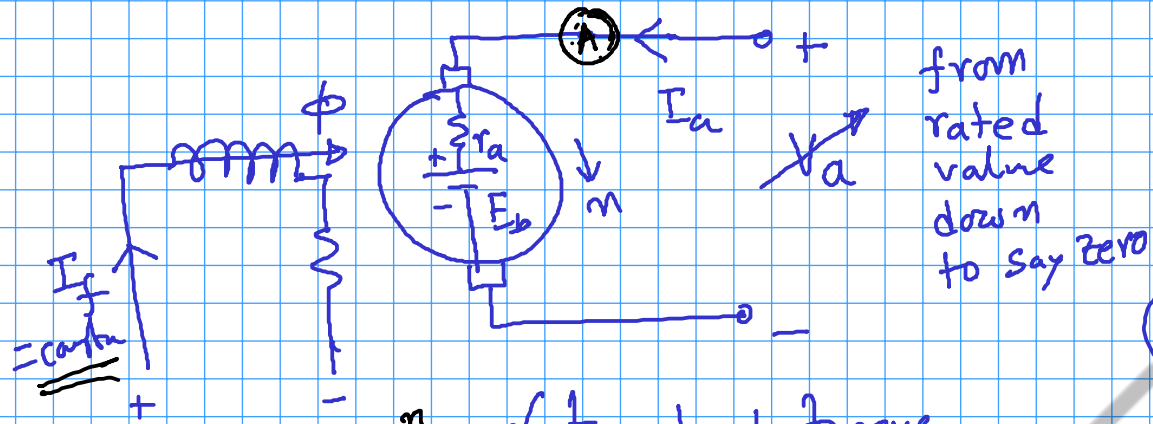
Armature voltage control

$$T_a = \frac{V_a - I_a r_a}{K\phi}$$

$$I_a = \frac{V - E_b}{r_a}$$

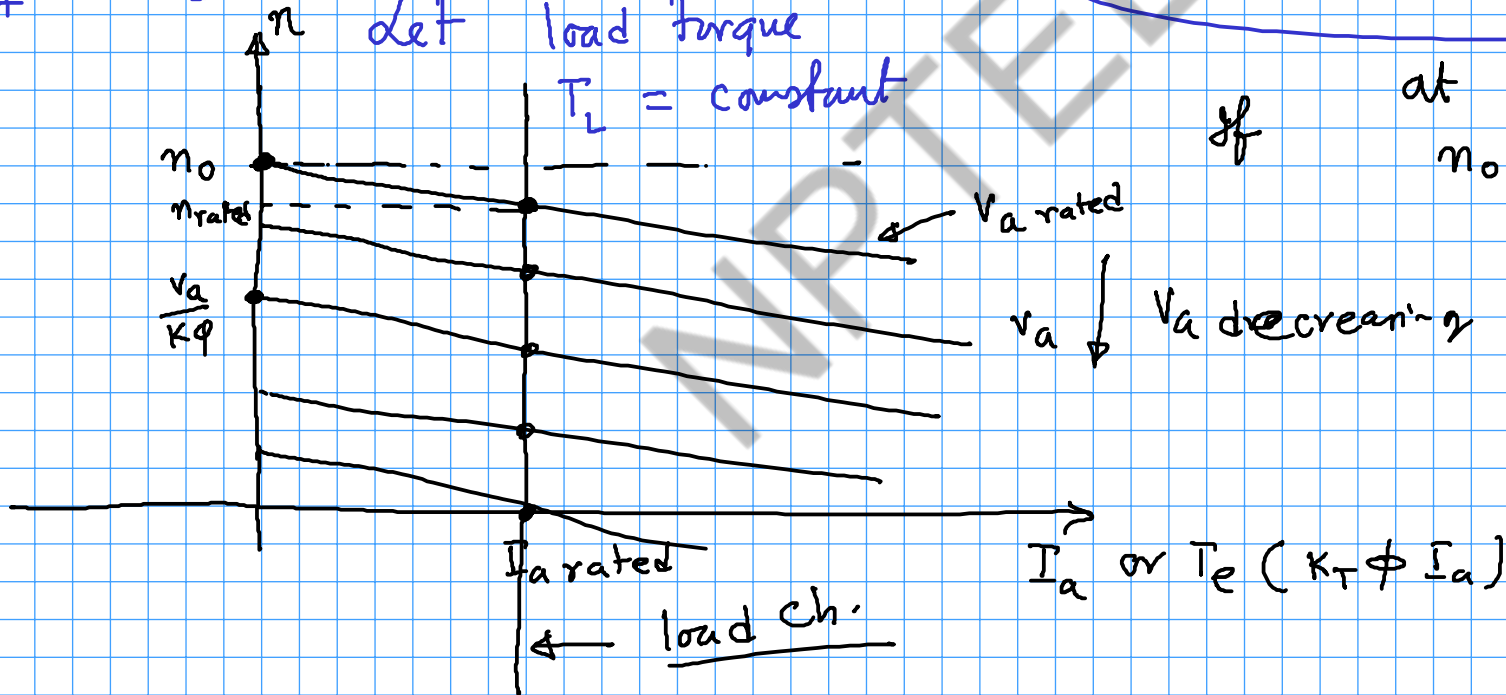
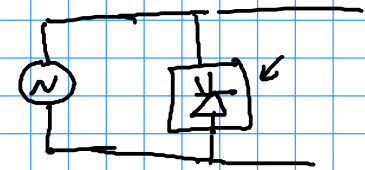
$$V_a = K\phi\omega + I_a r_a$$

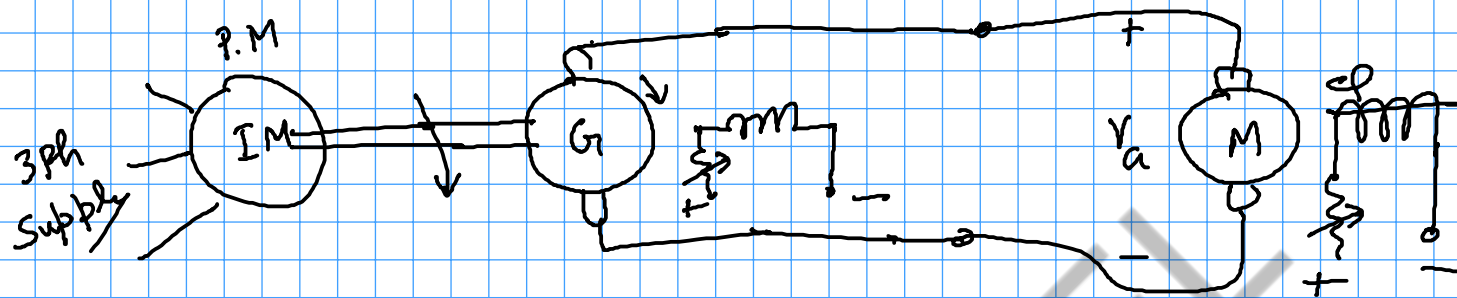
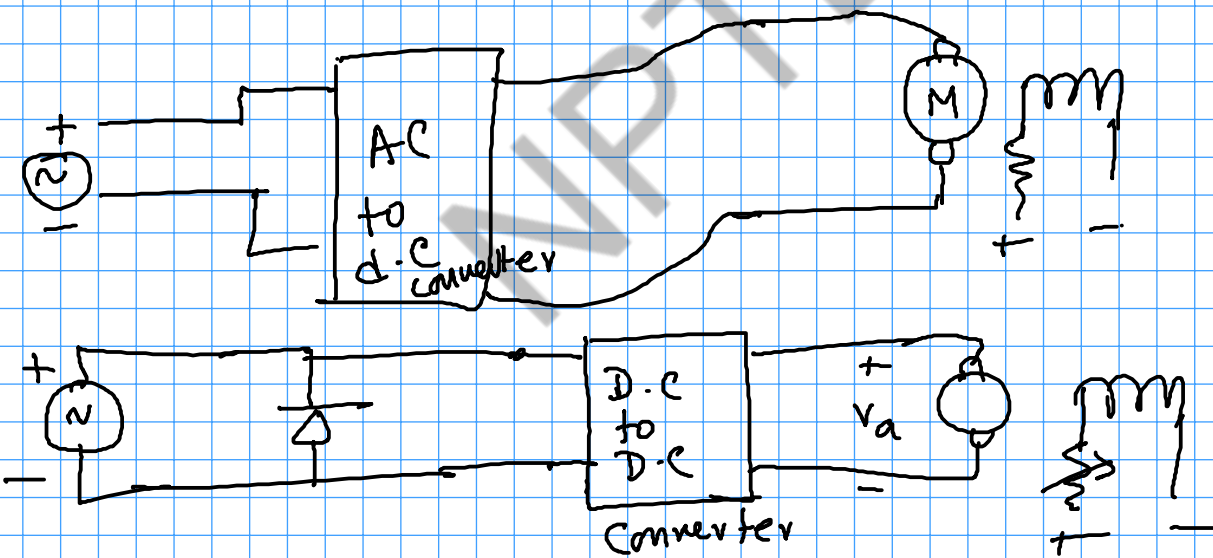
$$\omega = \frac{V_{a \text{ rated}}}{K\phi} - \frac{r_a}{K\phi} I_a$$



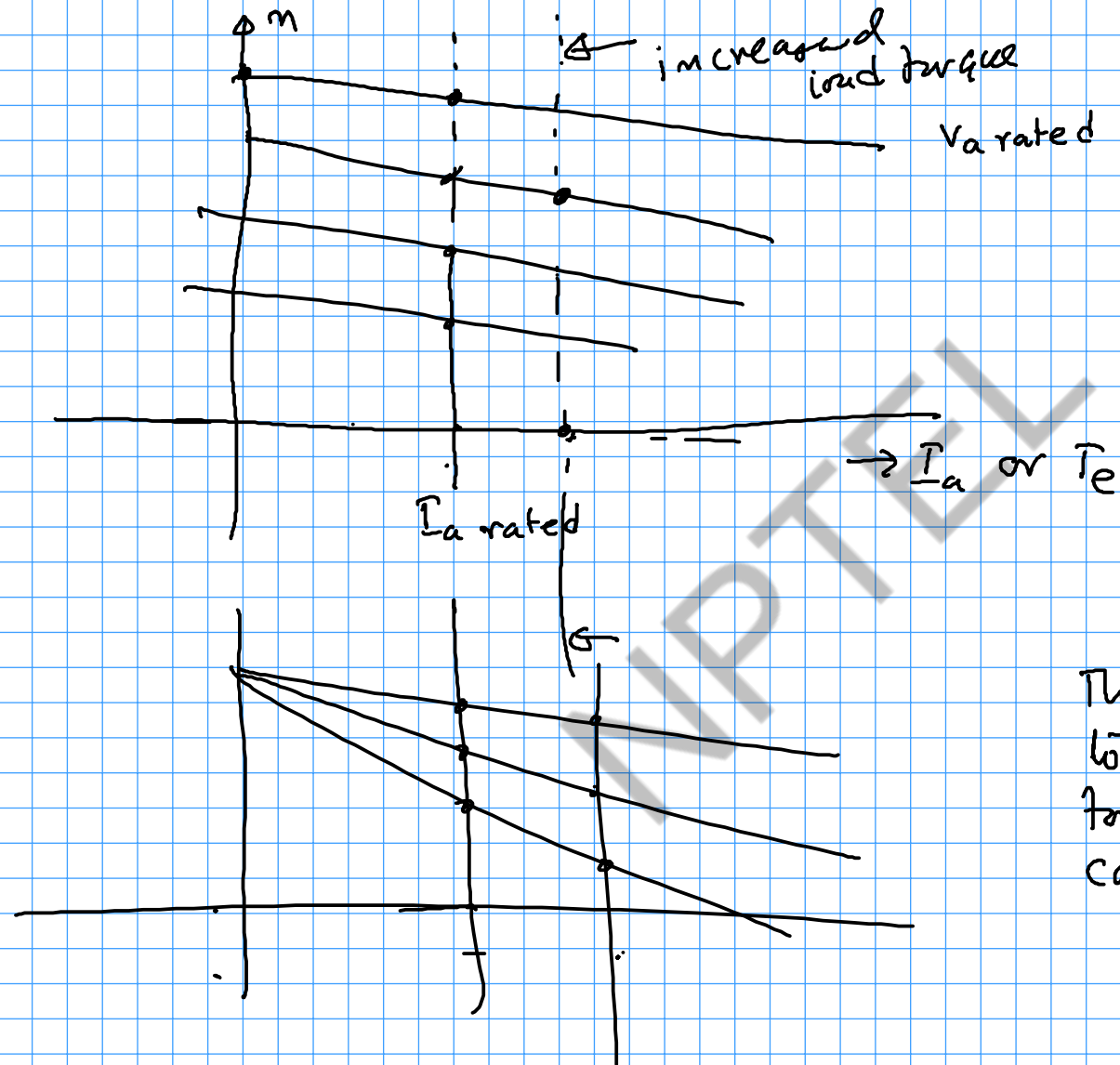
Let load torque $T_L = \text{constant}$

if at no load $I_a = 0$
 $\omega_0 = \frac{V_{a \text{ rated}}}{K\phi}$





- Armature Resistance control
 - Armature voltage control
- I_a remains constant at constant load torque

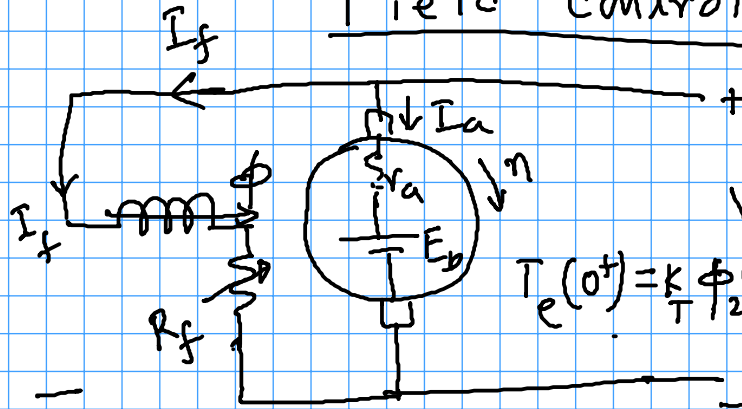


Suppose
 I reduce the
 armature
 applied voltage
 along with the load
 torque demand
 is increased.

$$T_e = K \phi I_a$$

This method is adopted
 to supply a load whose
 torque demands remains
 constant

Field control (I_f control)



$$T_e(0^+) = k_T \phi_2(0^+) I_{a2}(0^+)$$

$$T_e = k_T \phi_1 I_{a1} = T_L$$

$$V = I_{a1} r_a + k \phi_1 n_1$$

$$n_1 = \frac{V}{k \phi_1} - \frac{r_a}{k \phi_1} I_{a1}$$

$$T_{e1} = T_L = k_T \phi_1 I_{a1}$$

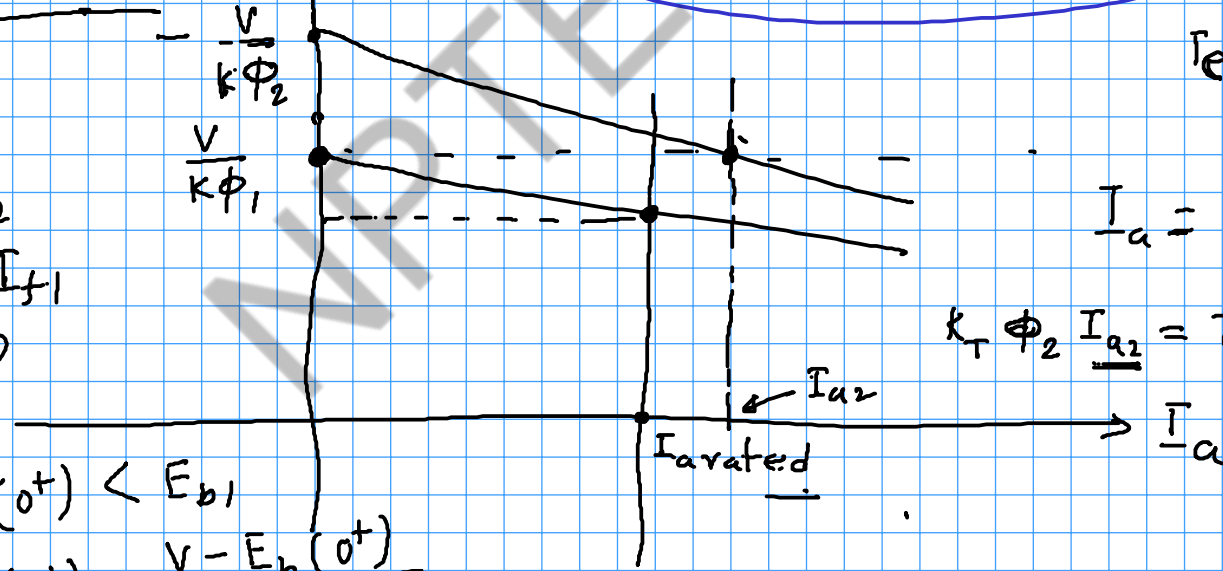
$$I_a = \frac{V - E_b}{r_a}$$

$$k_T \phi_2 I_{a2} = T_L = \text{constant}$$

Suppose I_f is reduced to I_{f2} from I_{f1}
 $I_{f1} \rightarrow \phi_1$
 $I_{f2} \rightarrow \phi_2$
 at $t=0^+$

$$E_b(0^+) < E_{b1}$$

$$I_a(0^+) = \frac{V - E_b(0^+)}{r_a}$$



field control

$$T_{e1} = K_T \Phi_1 I_{a1}$$

$$= K_T \Phi_2 I_{a2}$$

$$\Phi_1 I_{a \text{ rated}}$$

$$\Phi_2 I_a$$

is not suitable to drive
a constant mechanical
load.

But it is suitable for
constant power load

$$\text{Power} = T_L \times \omega_r = \text{const}$$

or $T_L \propto \frac{\text{const.}}{n_r}$

we reduce the flux
 Φ_1 to Φ_2 .

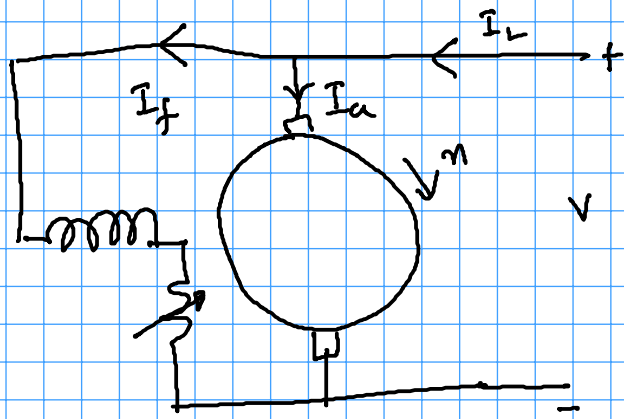
if $T_L = \text{constant}$

$$K_T \Phi_1 \underset{\substack{\uparrow \\ \text{rated}}}{I_{a1}} = K_T \Phi_2 I_{a2}$$

$$I_{a2} = \frac{\Phi_1}{\Phi_2} I_{a1 \text{ rated}}$$

$$\Phi_2 < \Phi_1$$

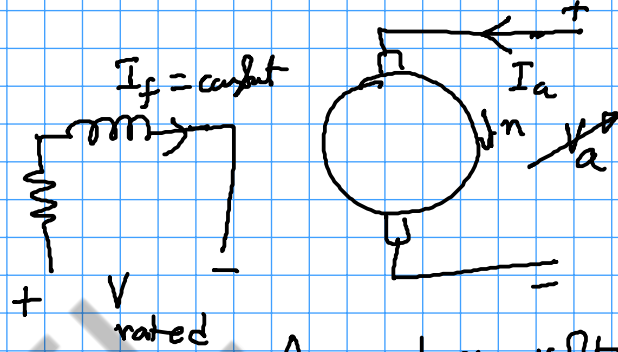
$$I_{a2} > \underline{I_{a \text{ rated.}}}$$



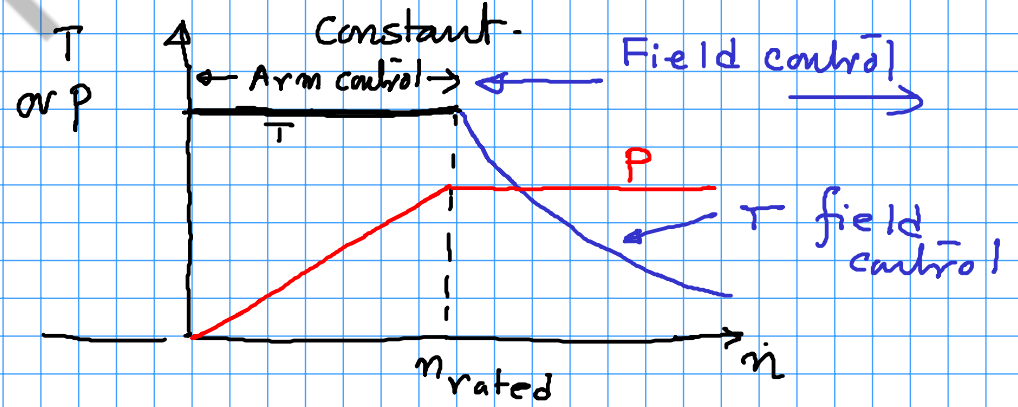
field control to is adopted above
suitable for constant Power load rated

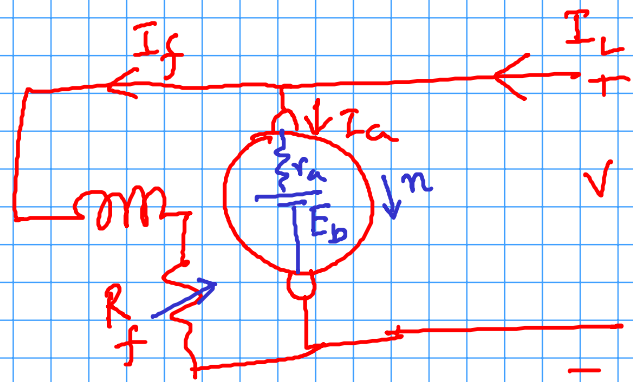
i.e.) $T_L \propto \frac{1}{\text{Speed}}$

$$T_e = T_L = K \phi I_a$$



Armature voltage control
suitable for constant load
torque as I_a will remain





$$I_{a1}, I_{f1}, n_1$$

$$E_{b1} = K I_{f1} n_1 = V - I_{a1} r_a \quad \text{--- (1)}$$

$$I_{f1} = \frac{V}{R_{f1}}$$

$$T_{e1} = T_{L1} = K_T I_{f1} I_{a1} \quad \text{--- (2)}$$

Second case $R_{f1} \xrightarrow{\text{increased}} R_{f2}$

$$I_{f1} \rightarrow I_{f2} \quad (I_{f2} < I_{f1}) \quad E_{b2} = K I_{f2} n_2 = V - I_{a2} r_a \quad \text{--- (3)}$$

$$I_{a2}, n_2$$

$$T_{e2} = T_{L2} = K_T I_{f2} I_{a2} \quad \text{--- (4)}$$

$$\begin{aligned} \frac{T_{e2}}{T_{e1}} &= \frac{K_T I_{f2} I_{a2}}{K_T I_{f1} I_{a1}} = \frac{T_{L2}}{T_{L1}} = 1 \quad \text{for constant load torque} \\ \frac{E_{b2}}{E_{b1}} &= \frac{V - I_{a2} r_a}{V - I_{a1} r_a} = \frac{I_{f2} n_2}{I_{f1} n_1} \quad \text{if power is constant} \end{aligned}$$

If $\frac{I_a r_a}{I_f}$ is negligibly small

$$\therefore E_{b1} = E_{b2} = V$$

$$E_{b1} = K I_{f1} n_1$$

$$E_{b2} = K I_{f2} n_2$$

$$\therefore \frac{I_{f1} n_1}{I_{f2} n_2} \approx 1$$

$$T_{L1} = T_{L2}$$

$$T_{e1} = K_T I_{f1} I_{a1} = T_{L1}$$

$$T_{e2} = K_T I_{f2} I_{a2} = T_{L2}$$

$$\text{Let } I_{f2} = 0.9 I_{f1}$$

$$\rightarrow \frac{I_{f1} n_1}{0.9 I_{f1} n_2} = 1$$

$$\text{or } n_2 = \frac{n_1}{0.9}$$

$$\frac{I_{f1} I_{a1}}{I_{f2} I_{a2}} = \frac{T_{L1}}{T_{L2}}$$

$$\rightarrow \frac{I_{f1} I_{a1}}{0.9 I_{f1} I_{a2}} = 1$$

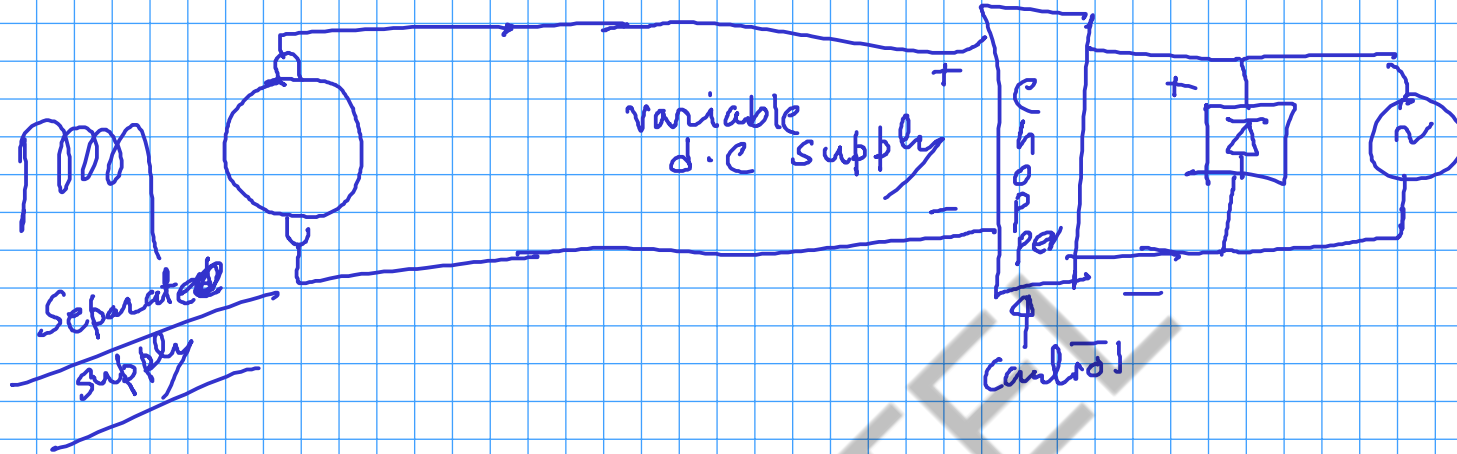
$$\text{or } I_{a2} = \frac{I_{a1}}{0.9}$$

$$n_2 = 1.1 n_1 \text{ what } R_{f2} = ? \quad T_L = \text{const}$$

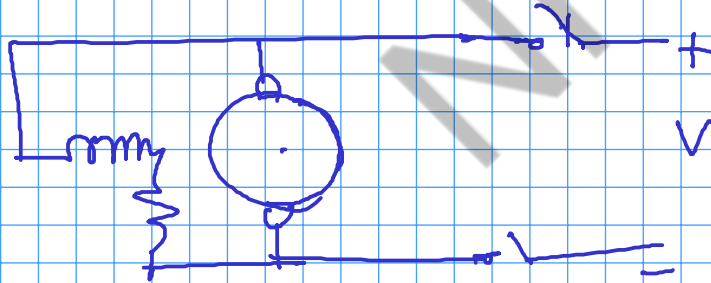
$$\frac{I_{f1} n_1}{I_{f2} 1.1 n_1} = 1$$

$$I_{f2} = \frac{I_{f1}}{1.1}$$

$$R_{f2} = \frac{V}{I_{f2}}$$

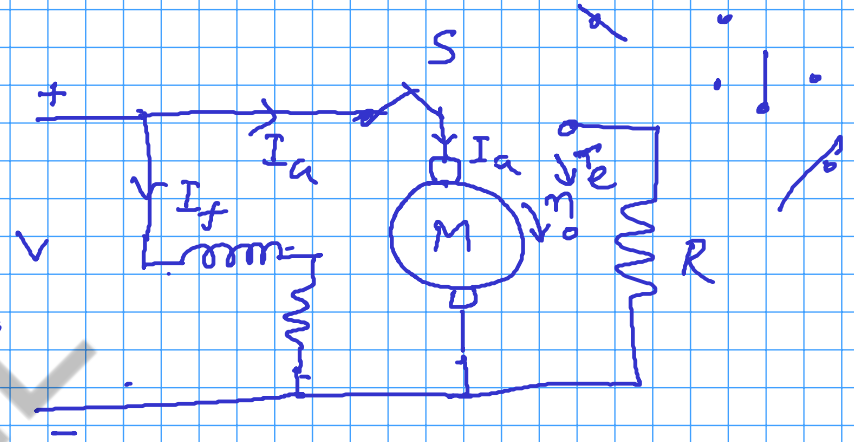


Electric braking on d.c. shunt or separately excited motor

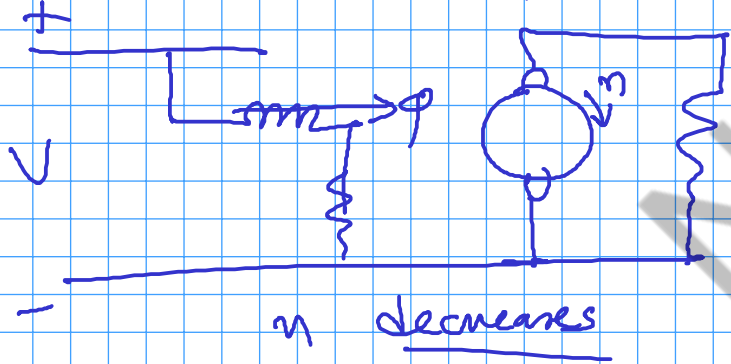
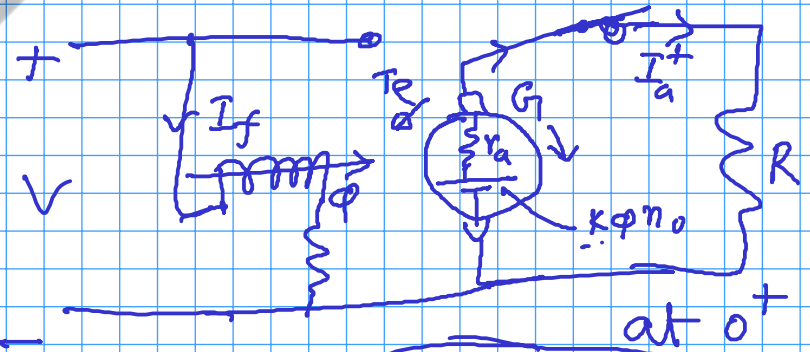


① Braking $\swarrow$ Dynamic braking

Regenerative braking



As time passes

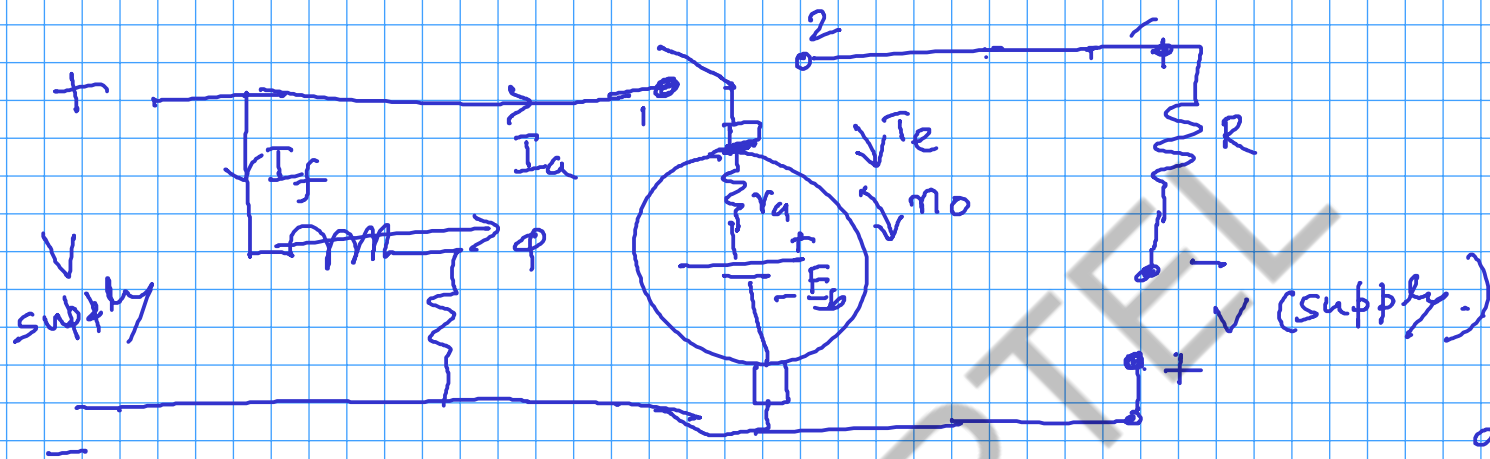
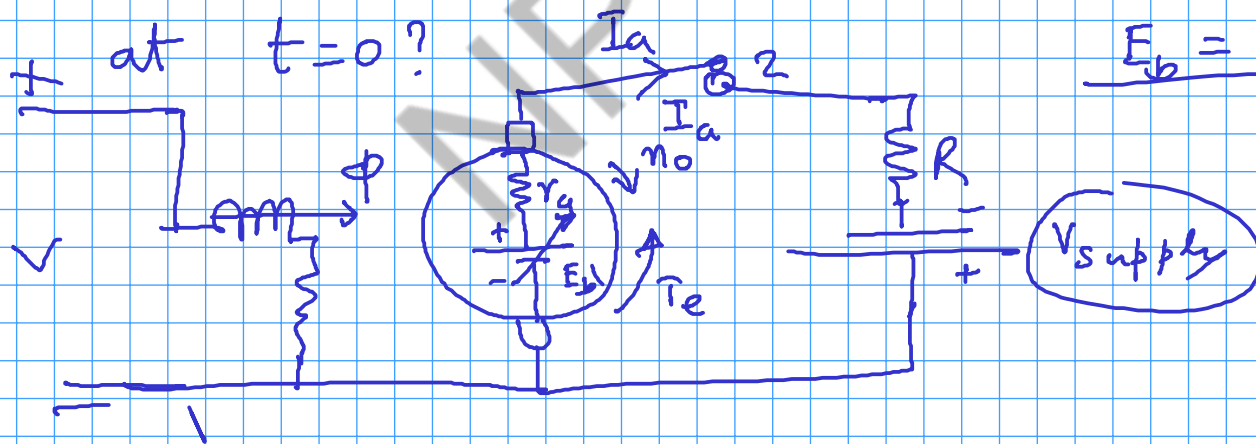


$$\mathbb{I}_b^+ = K \cap \mathbb{I}_a^+$$

$$\underline{T}_a^+ = \frac{K \phi n_0}{R + r_a}$$

Plugging : $\rightarrow$ Braking

S in pos
motoring mode



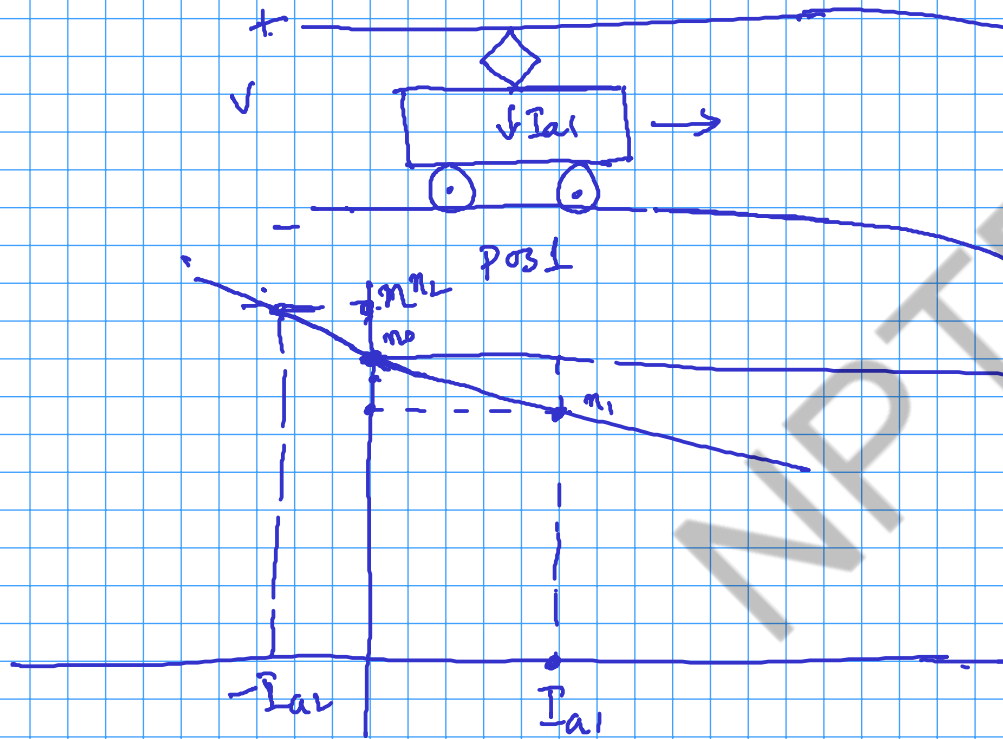
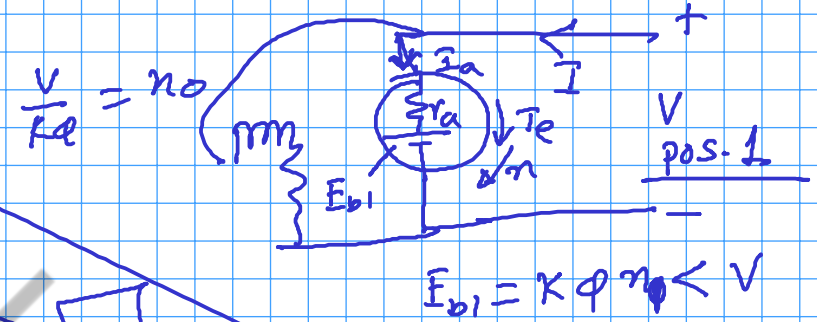
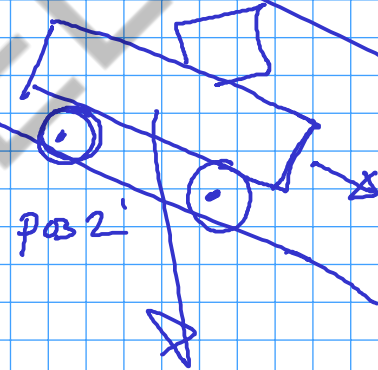
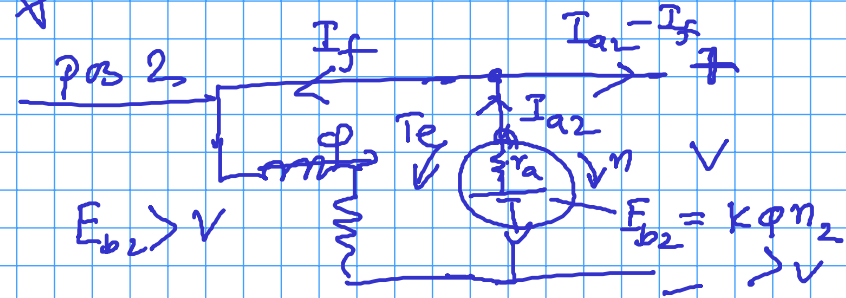
at $t=0^+$

$$E_b = K \Phi n_o$$

$$I_a^+ = \frac{K \Phi n_o + V_{supply}}{r_a + R}$$

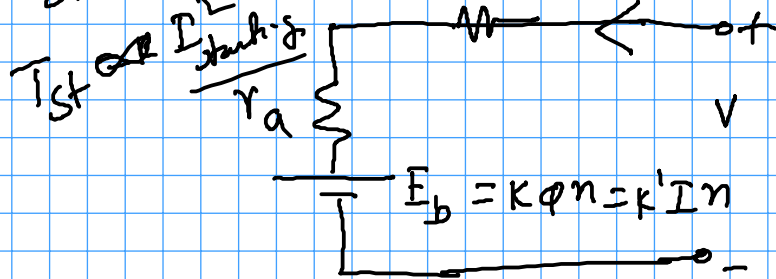
Regenerative Braking

Dec 85



D.C Series motor

$$I_{\text{Start}} = \frac{V}{r_a + r_{se}}$$



at $t = 0^+$

$$I(0^+) = \frac{V}{r_a + r_{se}}$$

$$T_e = k_T \phi I_a = k_T I^2$$

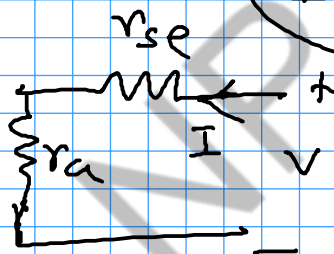
$$E_b = k I n$$

$$I = \frac{V - E_b}{r_a + r_{se}}$$

$$\phi \propto I$$

$$T_L = T_e = k_T I^2$$

$$I = \frac{V - k I n}{r_a + r_{se}}$$



neglect Saturation,

Sh-motor

$$T_e = k I_f I_a$$

at the pt. of starting

$$I_a = \frac{V}{r_a}$$

